



# **Observations of Achernar with VINCI**

**EuroSummer School**

*Observation and data reduction with the Very Large Telescope Interferometer*

**Goutelas, France**

**June 4-16, 2006**

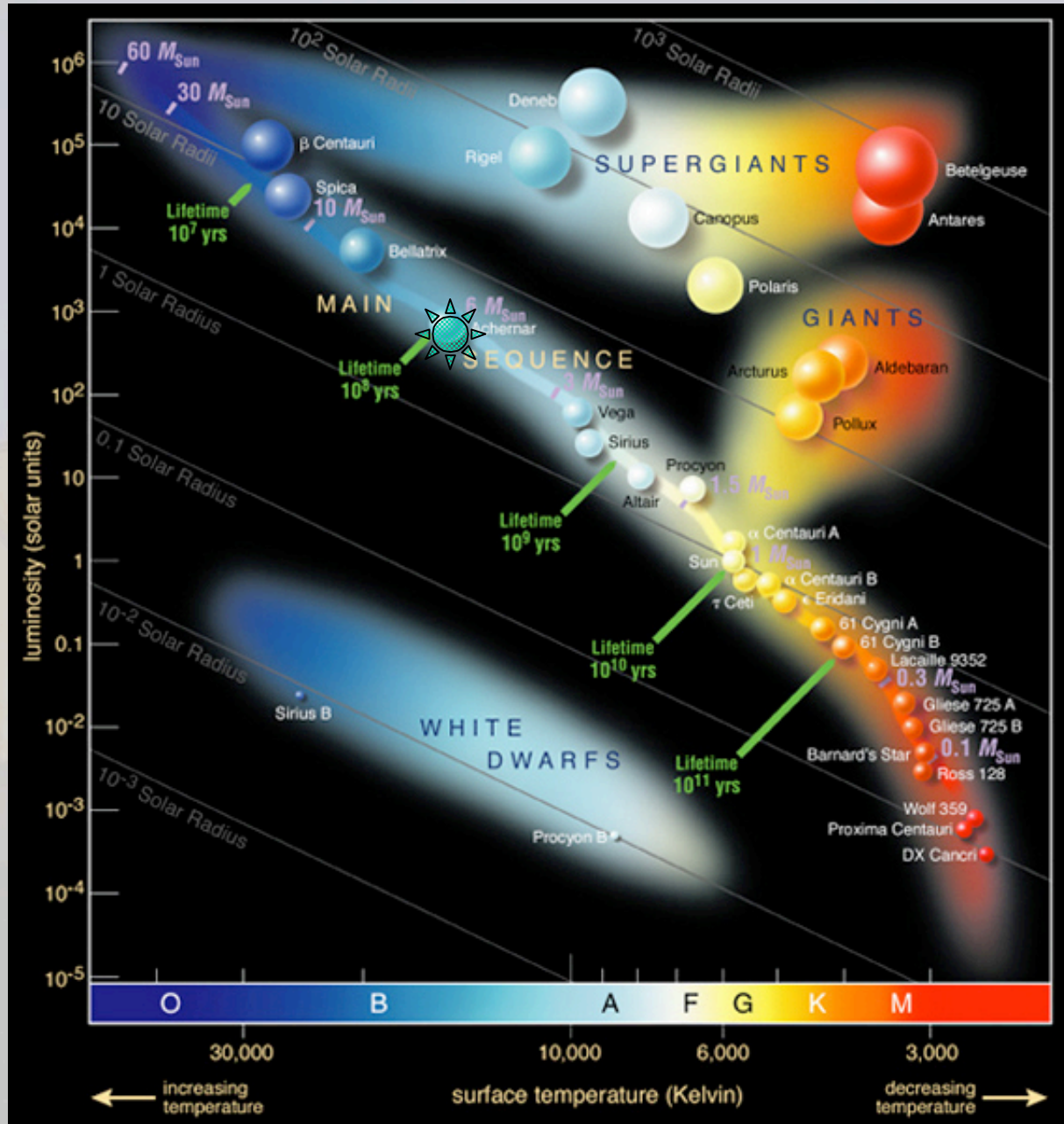
P. Kervella

Observatoire de Paris

5 June 2006

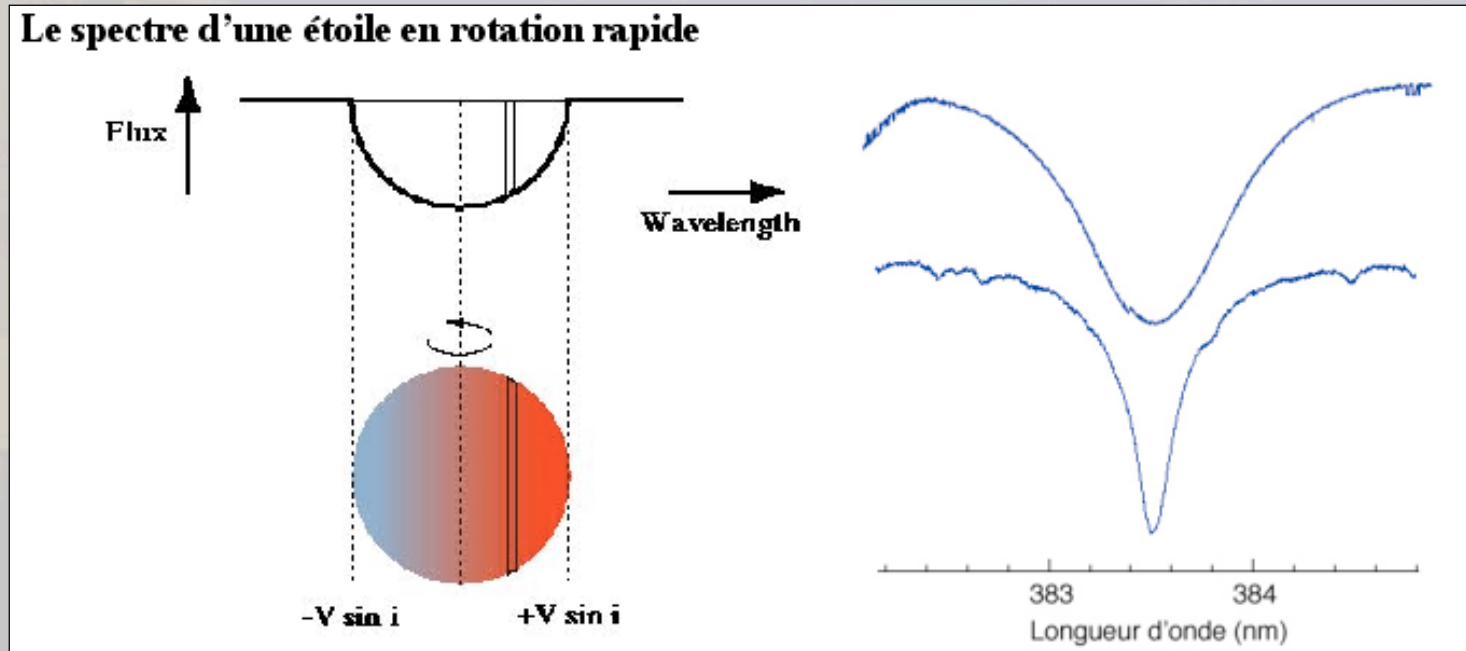
# Why observe Achernar ( $\alpha$ Eri) ?

- $m_V=0.50$
- Spectral type: **B3Vpe**
- $T_{\text{eff}} \sim 15000 \text{ K}$
- Luminosity  $\sim 3000 L_{\odot}$
- Distance = 44 pc +/- 1 pc
- $M \sim 6 M_{\odot}$ ,  $R \sim 10 R_{\odot}$
- Rotational velocity:  
 $v_{\text{eq}} \cdot \sin i = 225 \text{ km/s}$



# Rotational velocity

How do we know the rotational velocity of a star ?

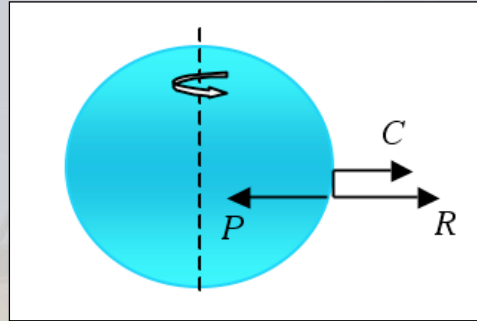


Achernar:  $v_{eq} \cdot \sin i = 225 \text{ km/s}$

Sun:  $v_{eq} = 2 \text{ km/s}$

This very fast rotation distorts the star... but by how much ?

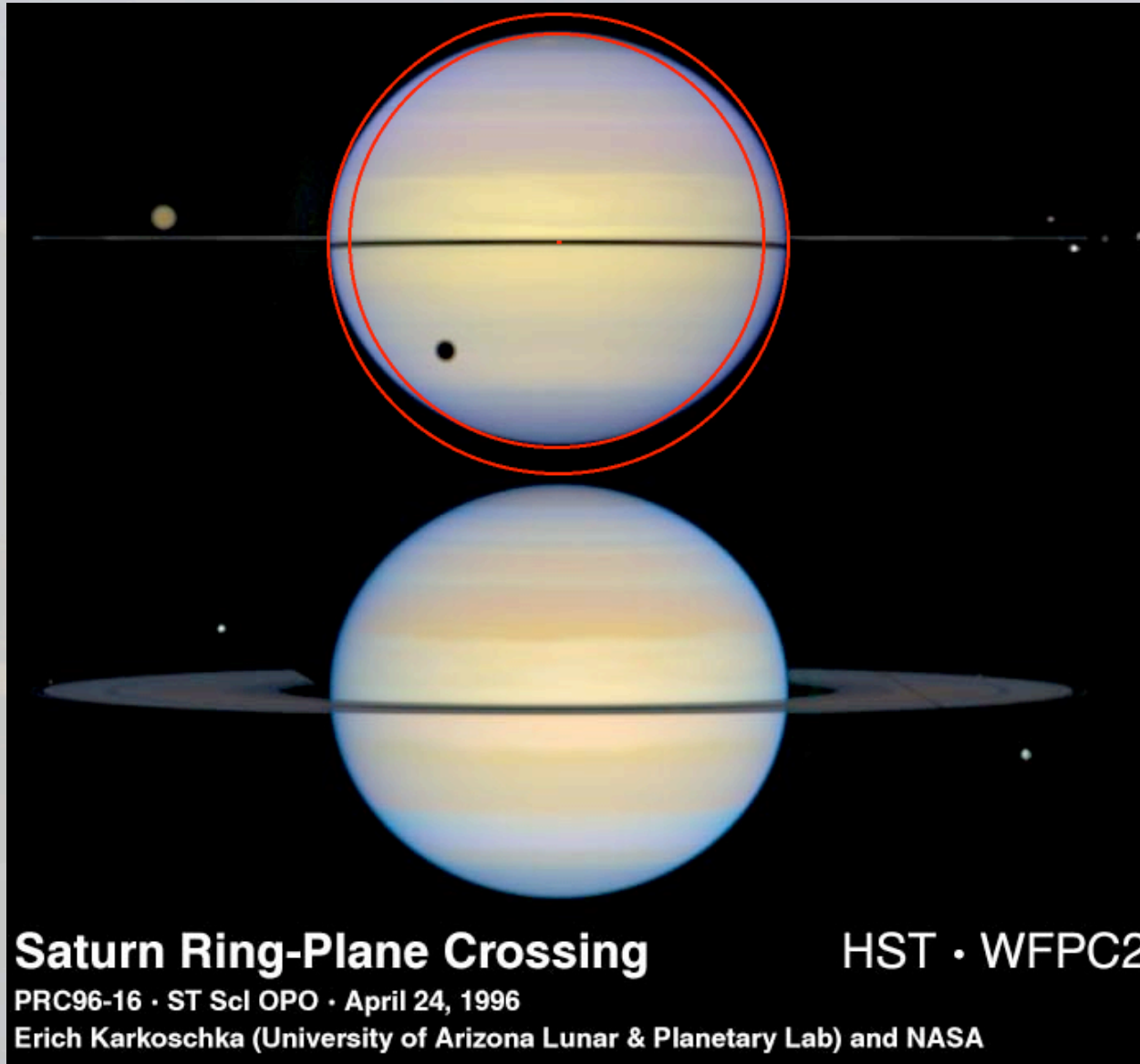
# Flattening... in a simplified way



- A particle at the equator of the star is subject to its weight  $P$ , the pressure reaction  $R$  and the centrifugal force  $C$  created by rotation
- For a given central mass, the flattening is then simply given by (Huyghens approximation):

$$\frac{R_{eq}}{R_{pol}} = 1 + \frac{C}{2P}$$

For the matter to stay on the star, we have  $C < P$ , and then  $R_{eq}/R_{pol} < 1.5$



# How can we « see » the effects of Achernar's rotation ?

We need to *resolve* the star...

But it is *extremely* small angularly:

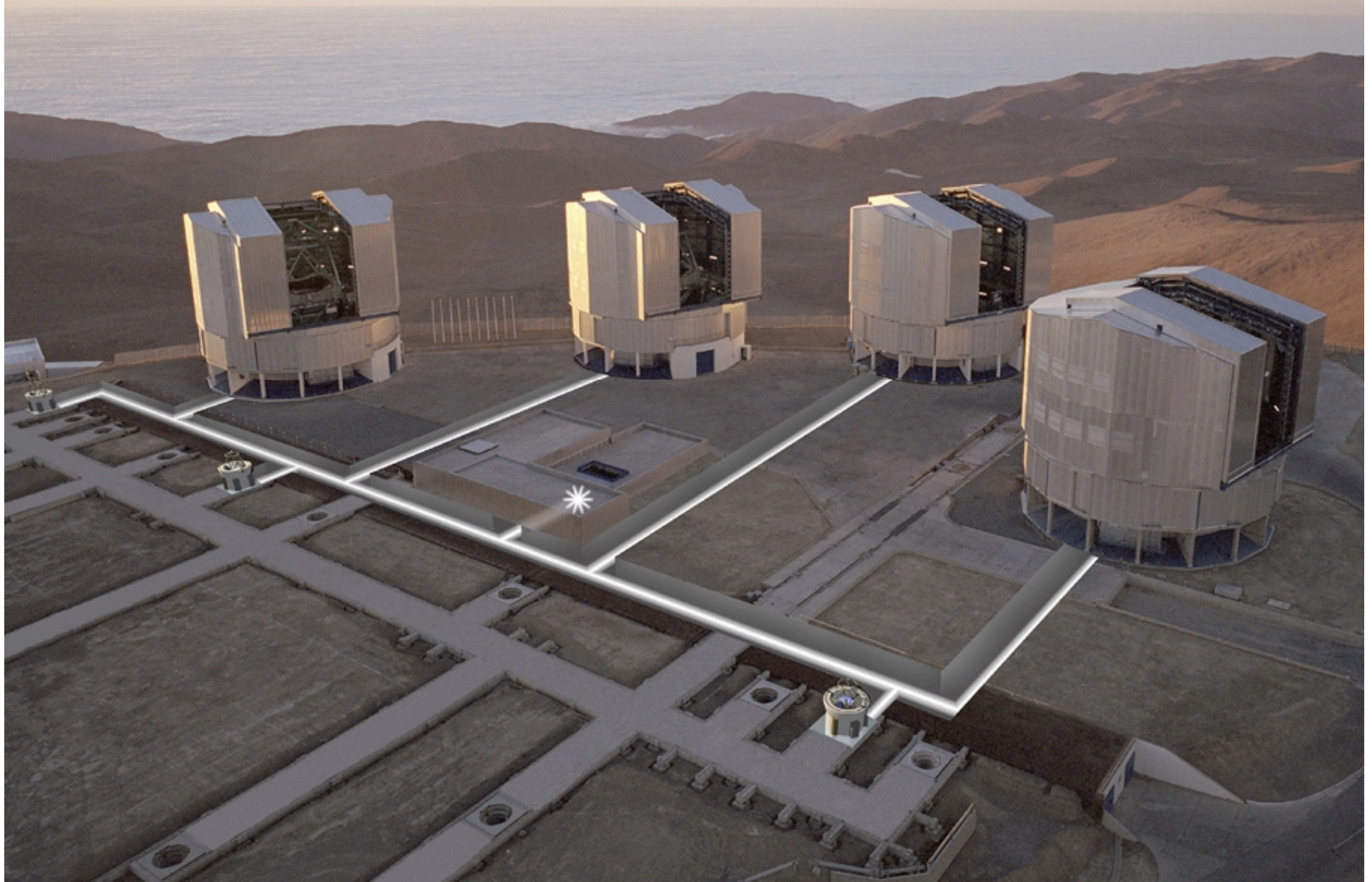
$$D = 10 D_{\odot} @ d = 44 \text{ pc gives } \theta = 2 \text{ mas}$$

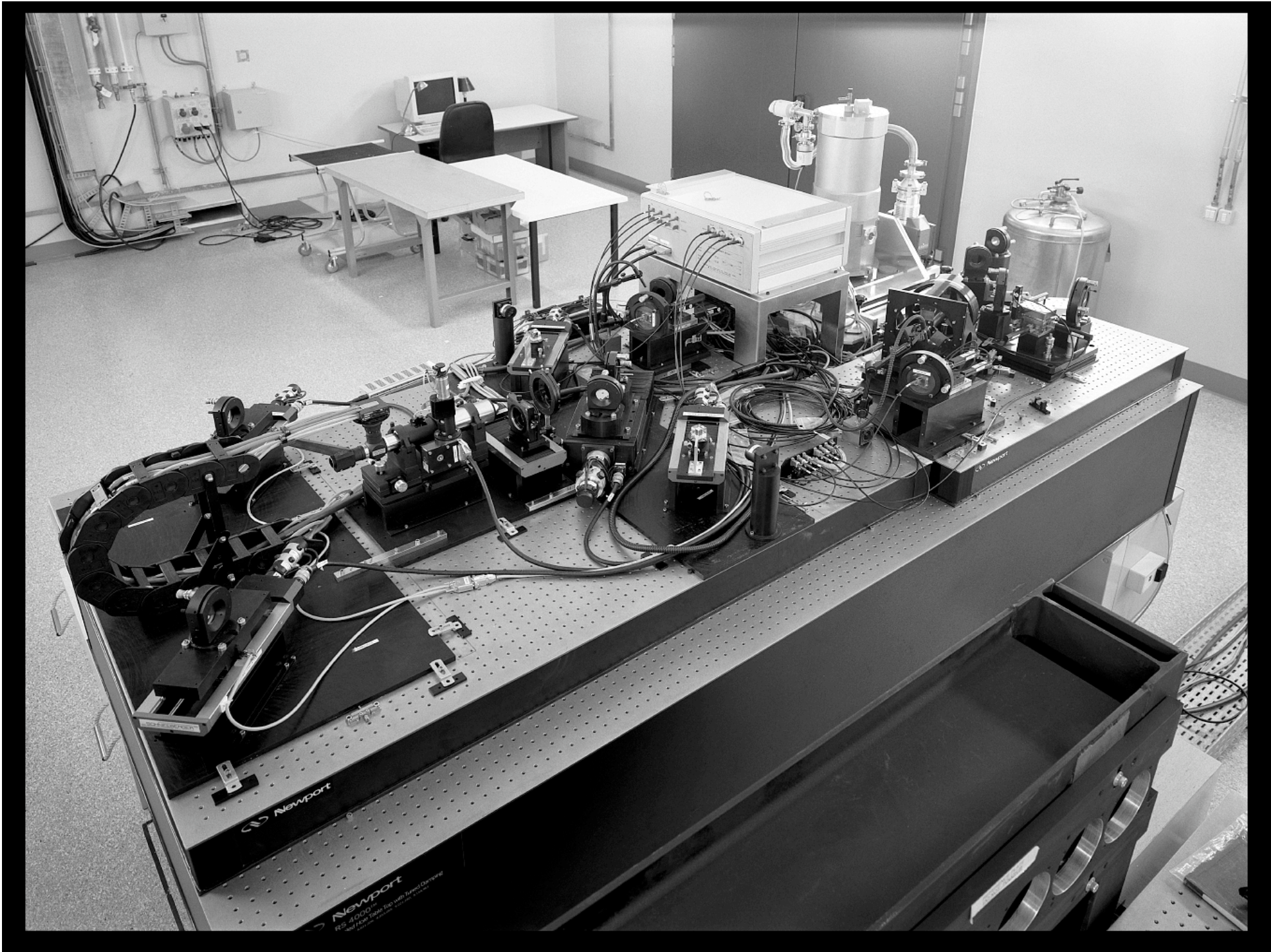
$$\text{Useful formula: } \theta [\text{mas}] = 9.305 D[D_{\odot}] / d [\text{pc}]$$

**No** single telescope has this resolving power (even ELTs...)

**Long baseline interferometry !**

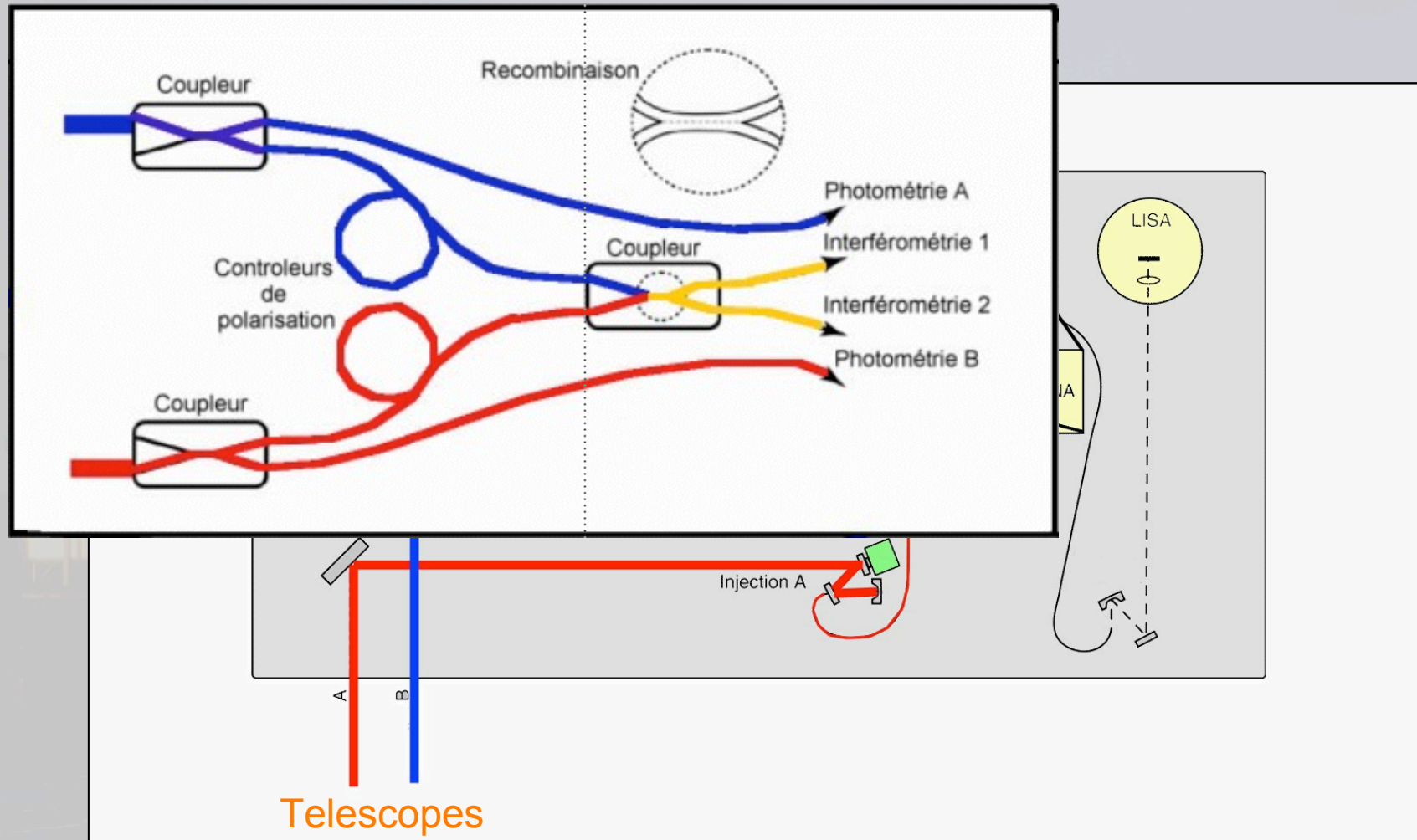
# The *Very Large Telescope Interferometer*







# Principle of VINCI

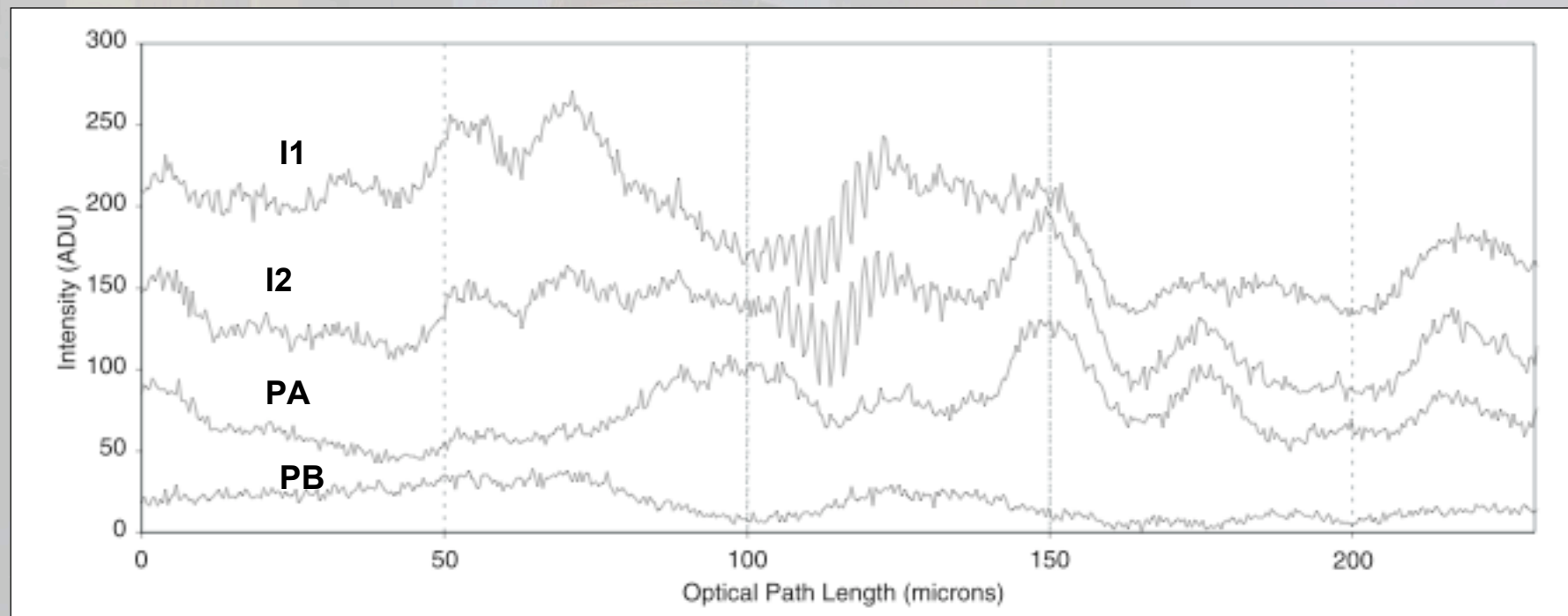


The total VLT + VINCI photon efficiency is low... 1% !  
(22 mirrors in each arm, injection, fibers, filter,...)

## Data produced by VINCI (and FLUOR)

The raw data consist of 4 signals:

- two photometric signals PA and PB
- two interferometric signals I1 and I2

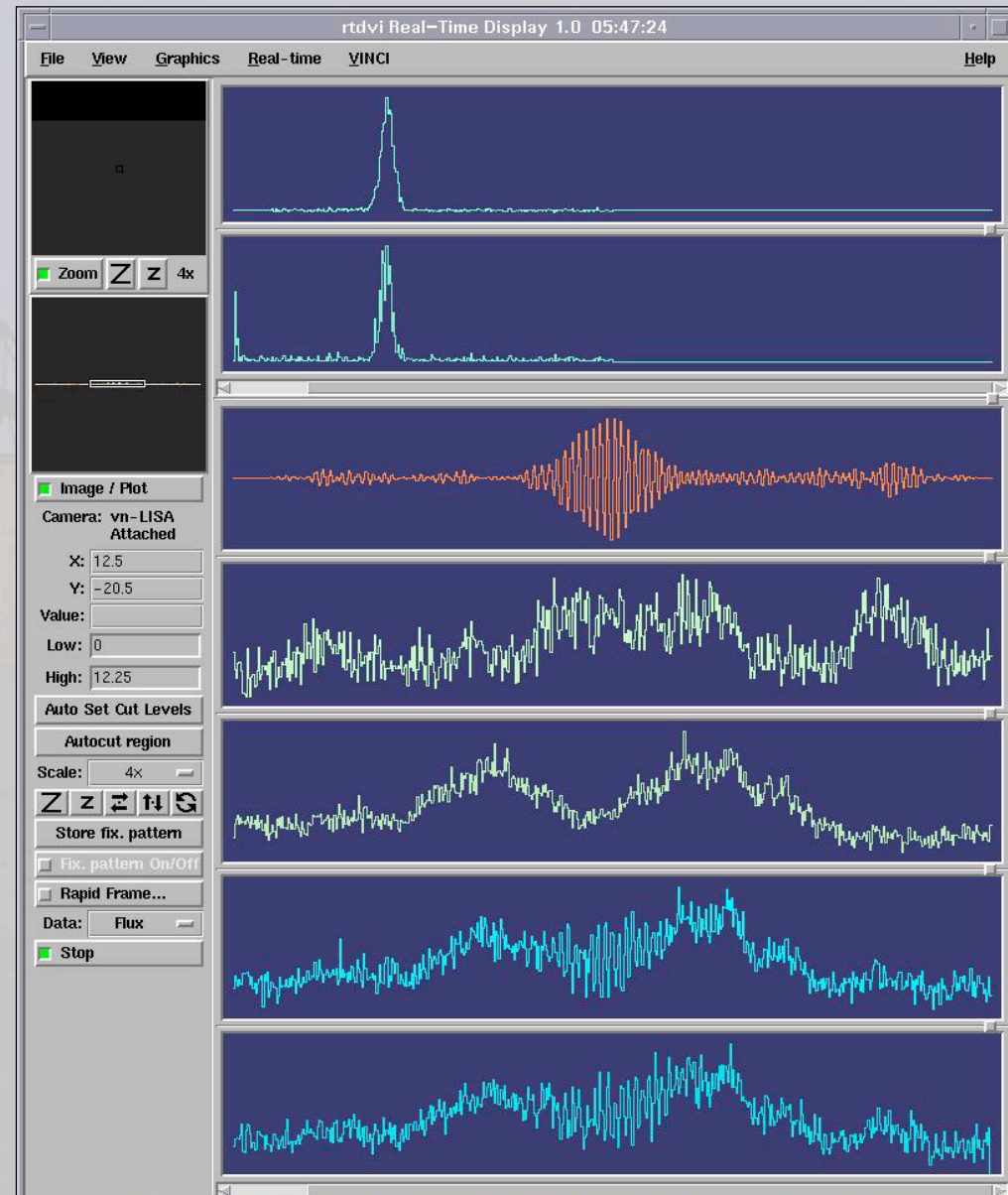


## In real time...

~2 to 10 interférograms are produced per second

One observation is typically made of 500 interferograms, or ~5 minutes

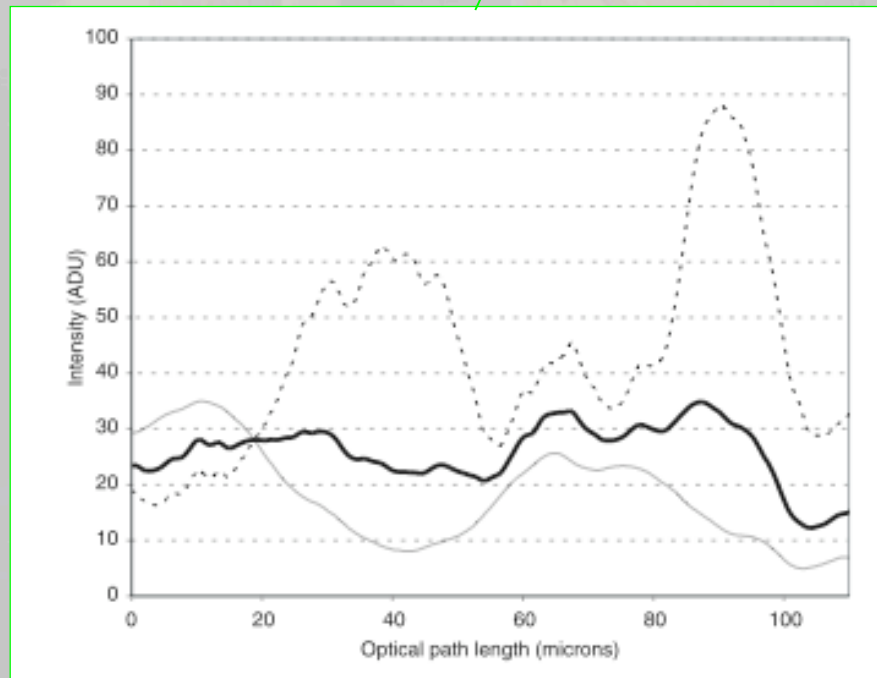
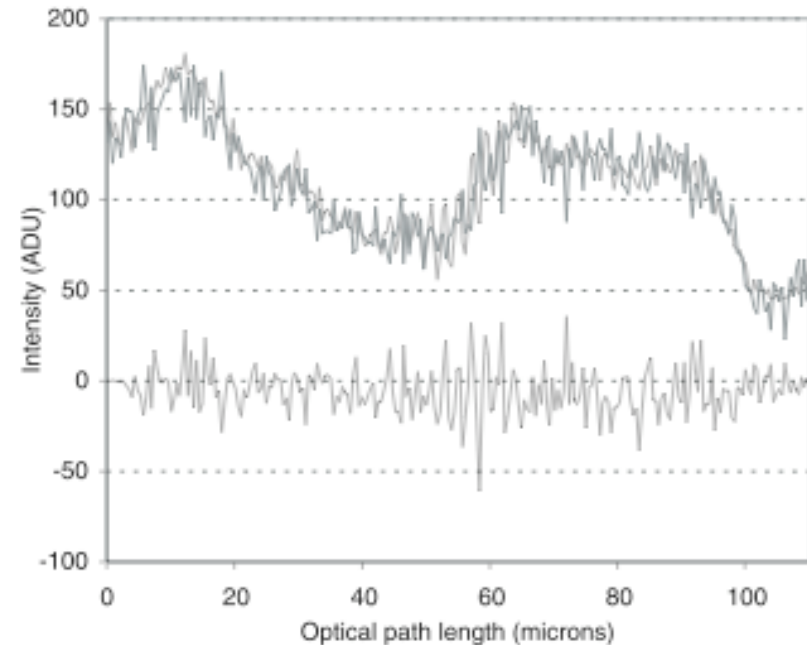
**A calibrator is observed before an/or after the scientific target**



## Data processing: Normalization

$$I_{1 \text{ cal}} = \frac{1}{2\sqrt{\kappa_{1,A} \kappa_{1,B}}} \frac{I_1 - \kappa_{1,A}P_A - \kappa_{1,B}P_B}{[\sqrt{P_A P_B}]_{\text{Wiener}}}$$

$$I_{2 \text{ cal}} = \frac{1}{2\sqrt{\kappa_{2,A} \kappa_{2,B}}} \frac{I_2 - \kappa_{2,A}P_A - \kappa_{2,B}P_B}{[\sqrt{P_A P_B}]_{\text{Wiener}}}$$



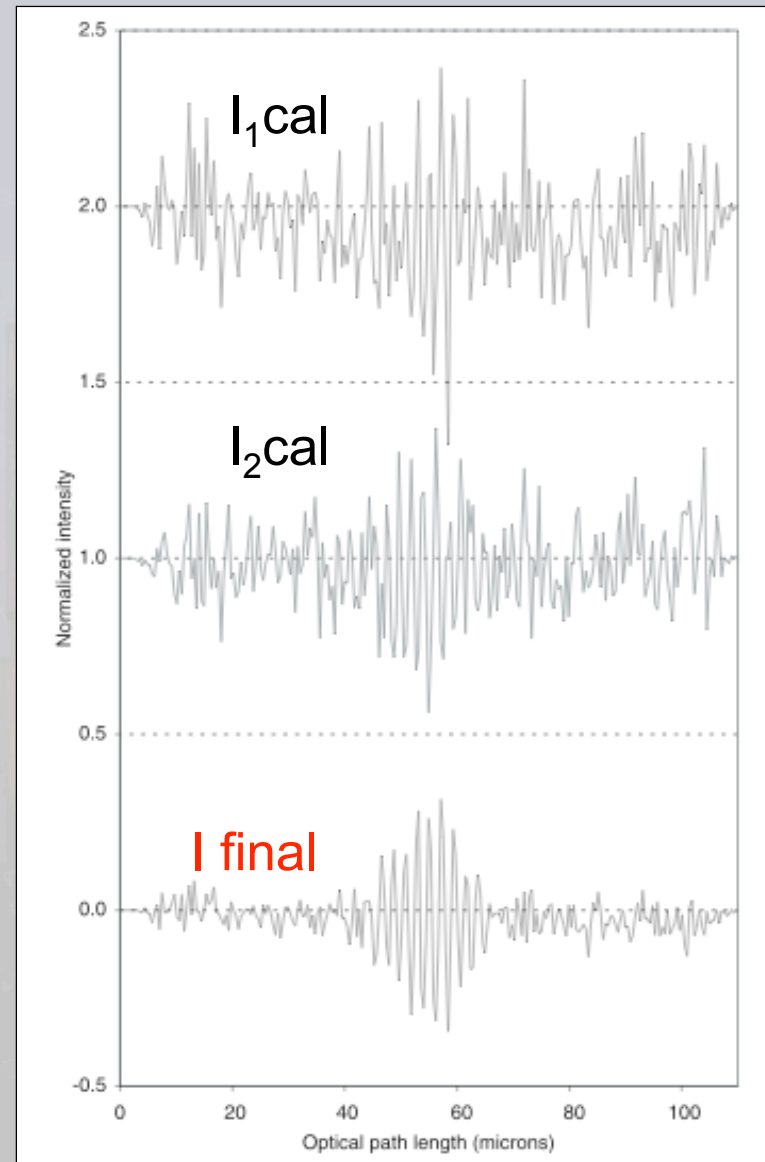
- This first operation allows to remove almost completely the atmospheric corruption of the data
- except the *piston effect*

*See G. Perrin's course next week*

## Subtraction of the normalized outputs

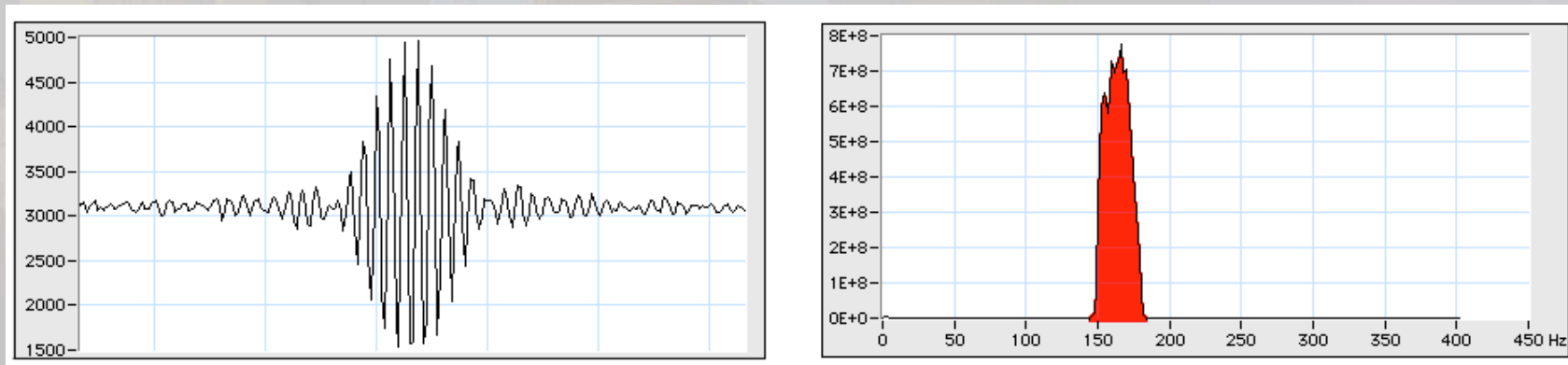
$$I = \frac{I_{1\text{ cal}} - I_{2\text{ cal}}}{2}$$

this allows to remove most of the correlated noise introduced by the normalization



# Mesurement of the coherence factor

Estimator used for VINCI: based on the **Fourier transform**



⇒ Value of the **squared coherence factor  $\mu^2$**

## Transfer Function: the Calibration of the visibility

The efficiency of the interferometer is not perfect, and it does not transmit 100% of the modulation of the fringes

We have to measure this loss to take it into account

$$T^2 = \frac{\mu_{\text{calib}}^2}{V_{\text{calib}}^2}$$

For this purpose, we observe a star with a known angular diameter: **the calibrator**

$$V_{\text{target}}^2 = \frac{\mu_{\text{target}}^2}{T^2}$$

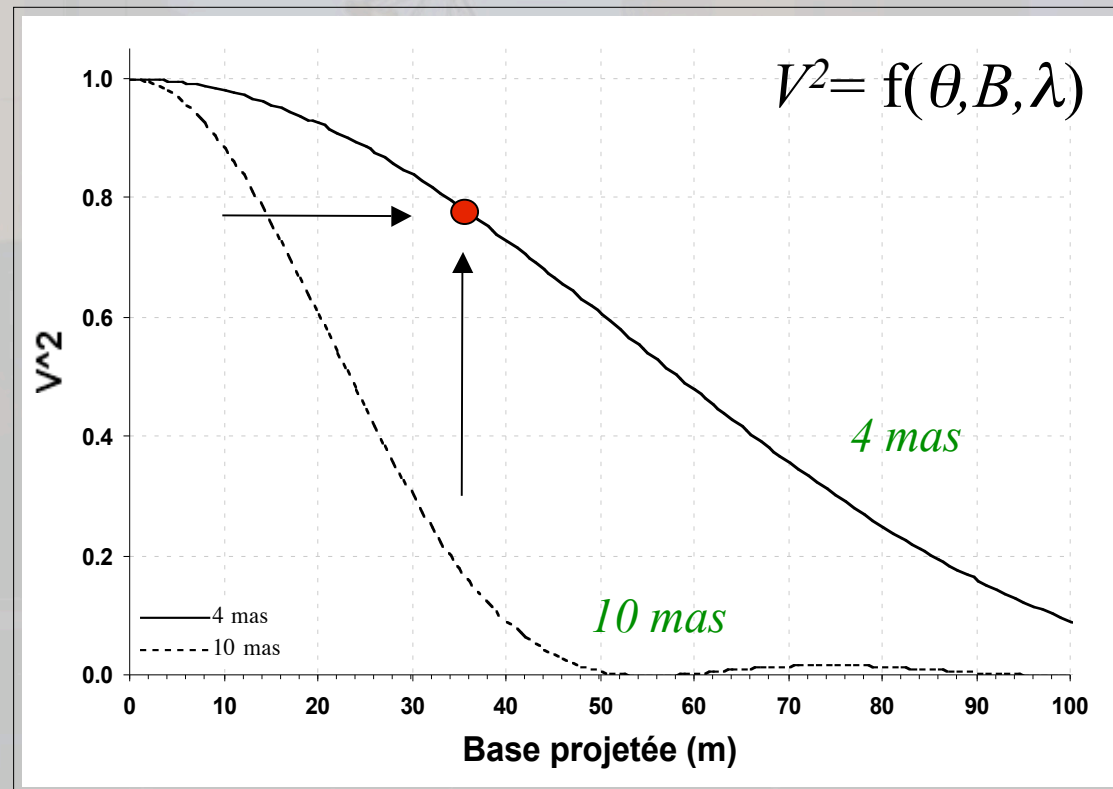
Knowing the expected  $V^2$  of the calibrator, we can estimate the transfer function  $T^2$ , and correct the squared coherence factor  $\mu^2$  of the scientific target

How to predict the angular diameter of a calibrator ?

*Answer Thursday ! (Lecture by A. Boden)*

# From visibility to angular diameter...

We need a model of the light distribution of the star





# Observations

**Achernar** was observed with the VLTI in 2001-2002

Interspersed Achernar-calibrator observations

- in order to estimate the VLTI interferometric transfer function
- 4 different calibrators

Two small telescopes (0.35 m aperture), in the *K* band (2.2  $\mu\text{m}$ )

Two almost orthogonal baselines

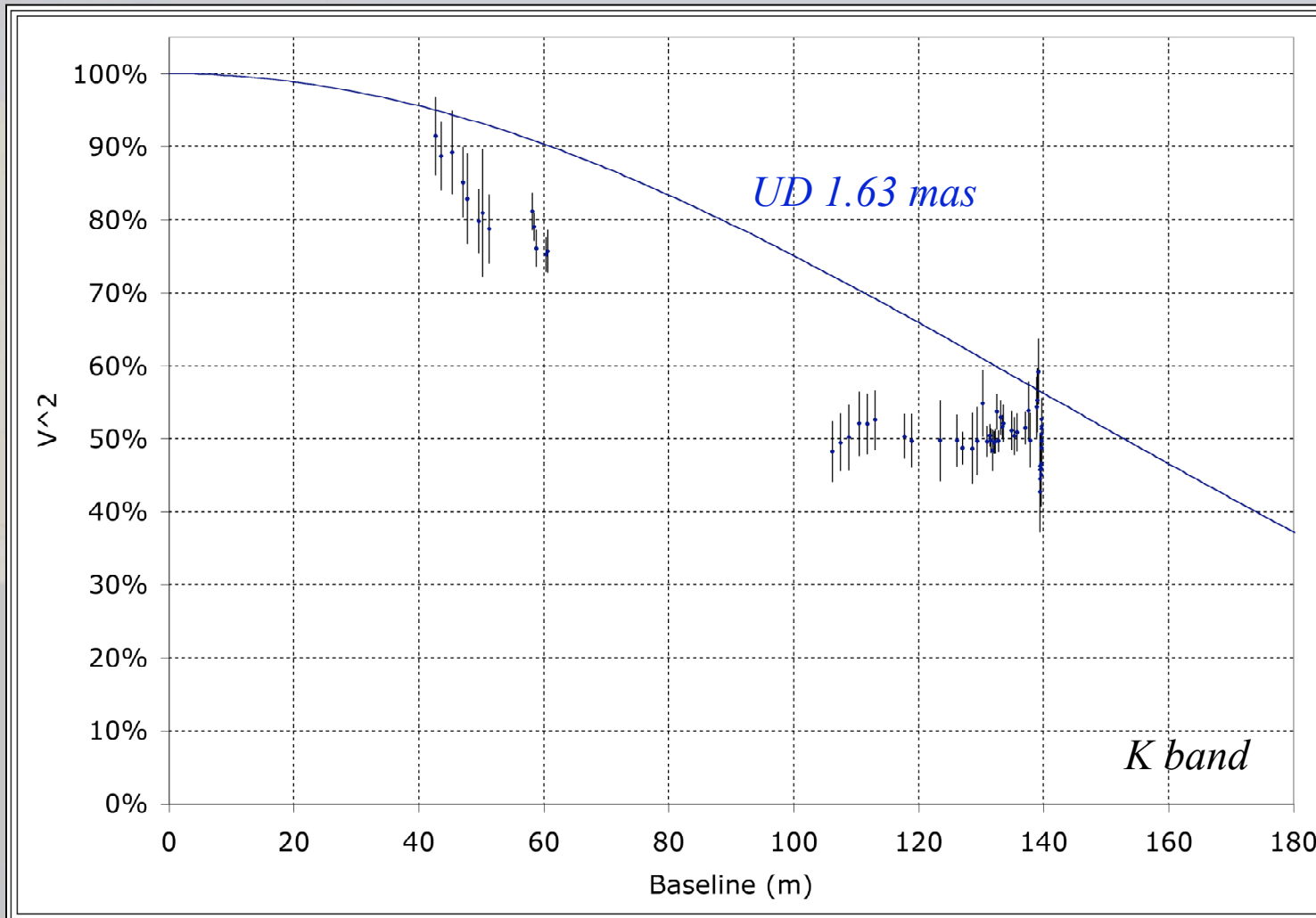
**60  $V^2$  measurements** in the *K* band (over 16 nights)

**14  $V^2$  measurements** in the *H* band (over 7 nights)

## Supersynthesis

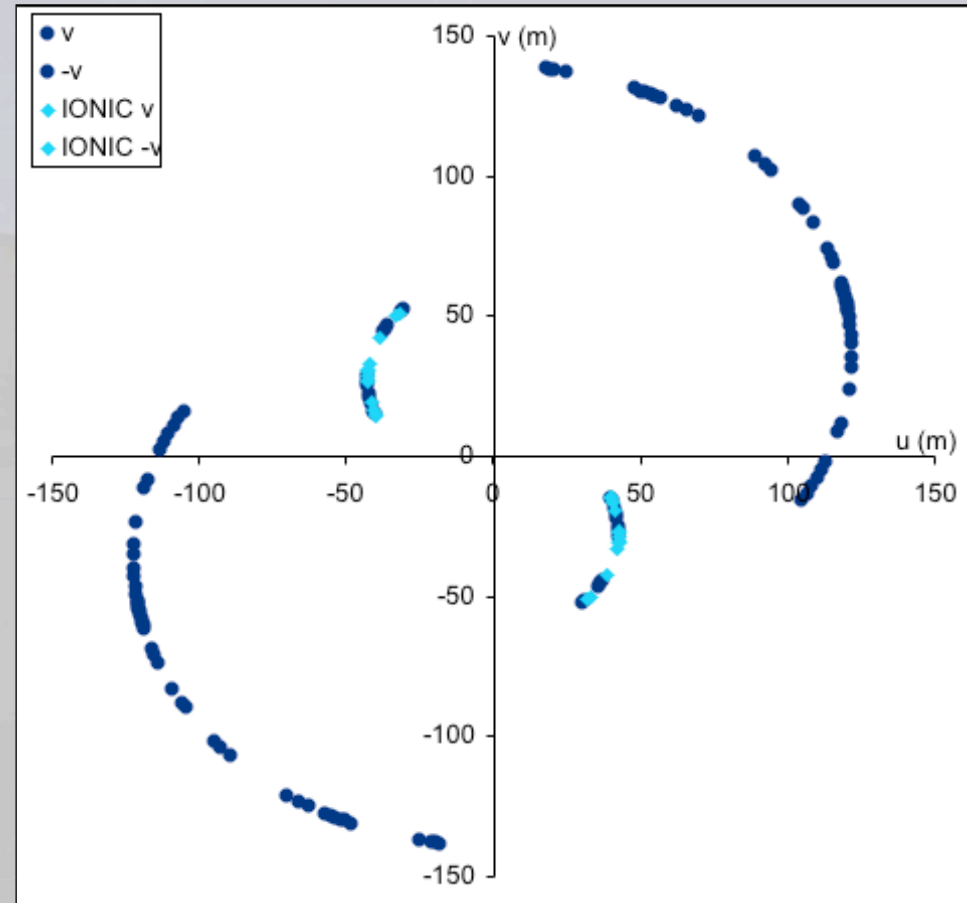
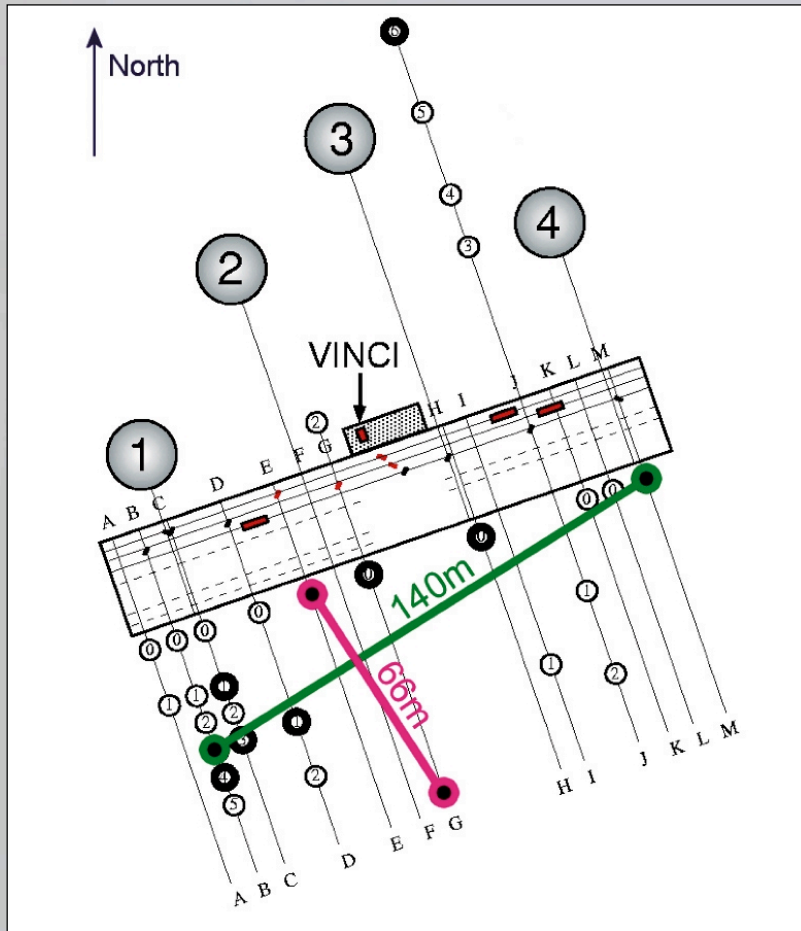
- Achernar = dec -60 deg  $\Rightarrow$  efficient supersynthesis
- observations at different hour angles
- variable projected baseline

# $V^2(B)$ of Achernar



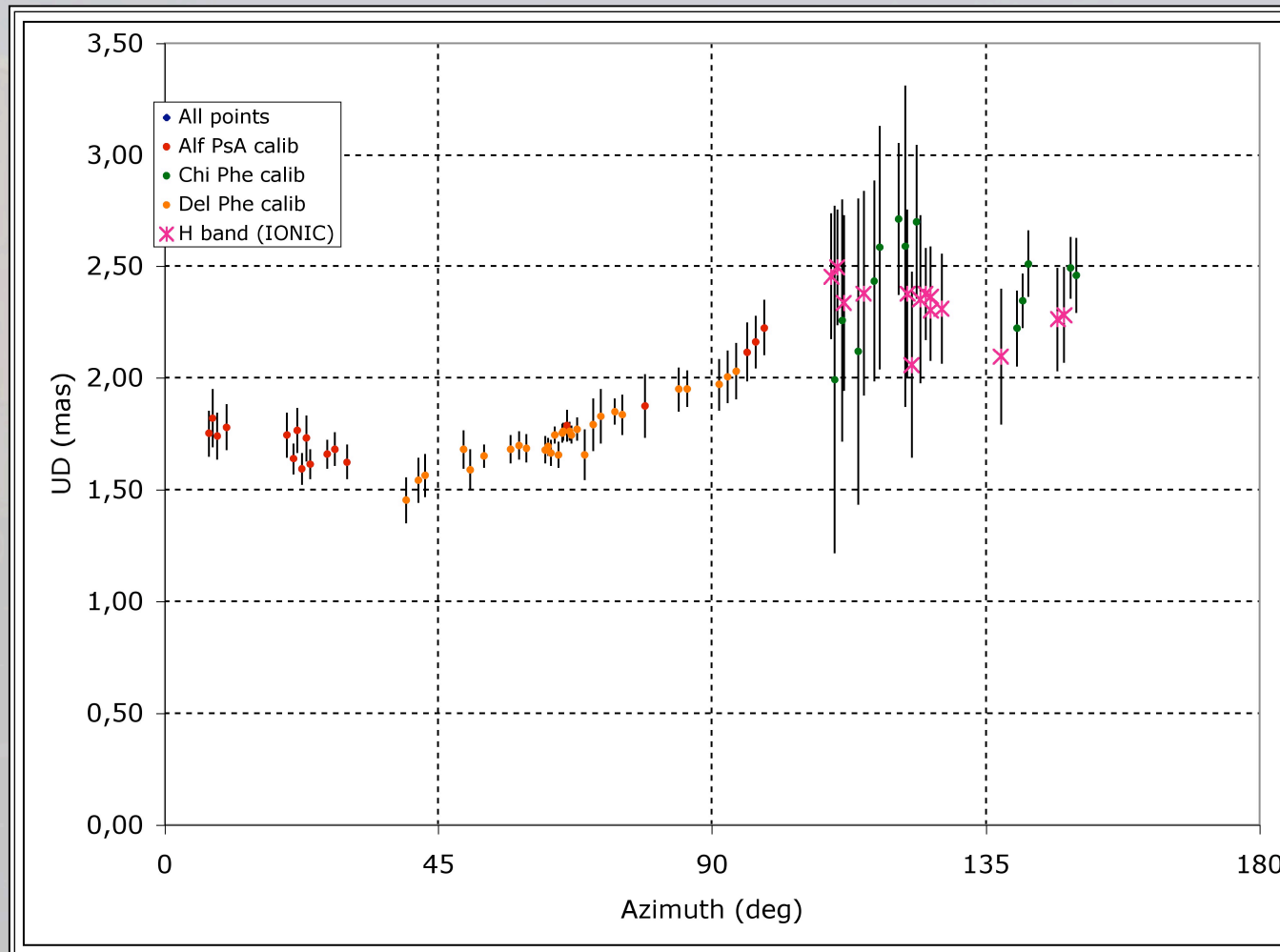
*Obviously, Achernar is **not** a uniform disk !*

# Supersynthesis



Almost complete azimuth coverage: nice coverage with only 2 baselines !

# $\theta$ (Azimuth)



# Ellipse fit

## Equator:

UD =  $2.53 \pm 0.06$  mas

## Pole:

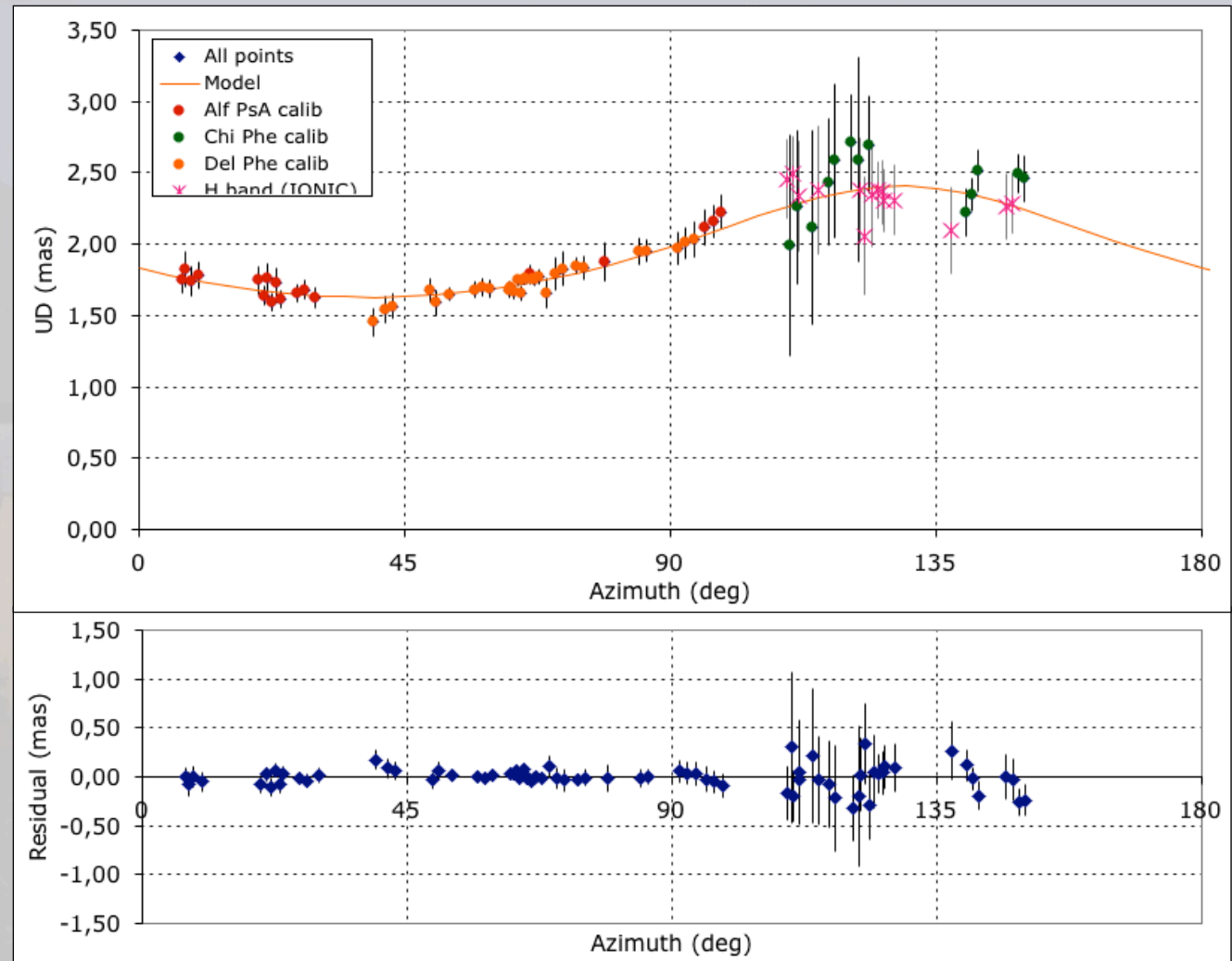
UD =  $1.62 \pm 0.01$  mas

## Polar axis Az.:

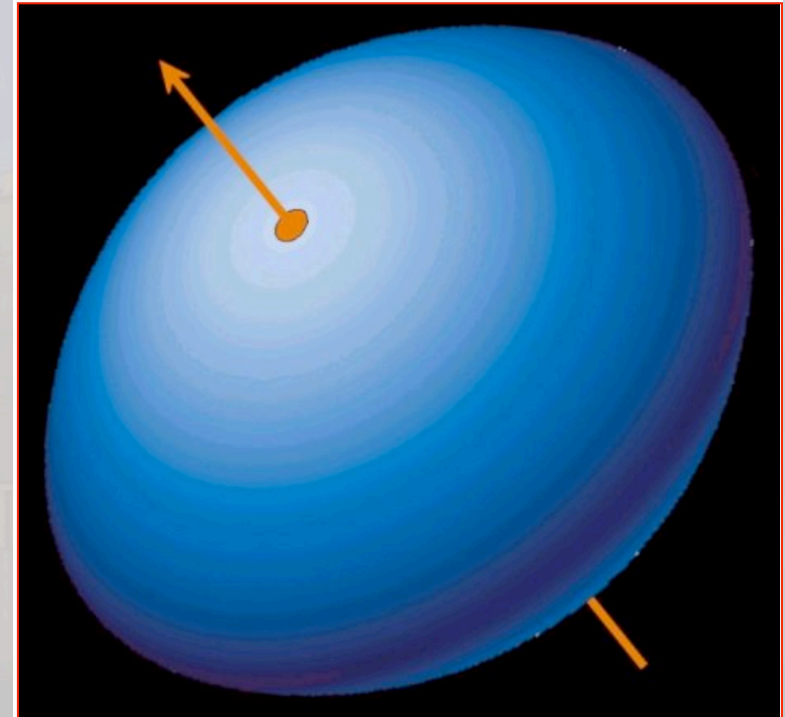
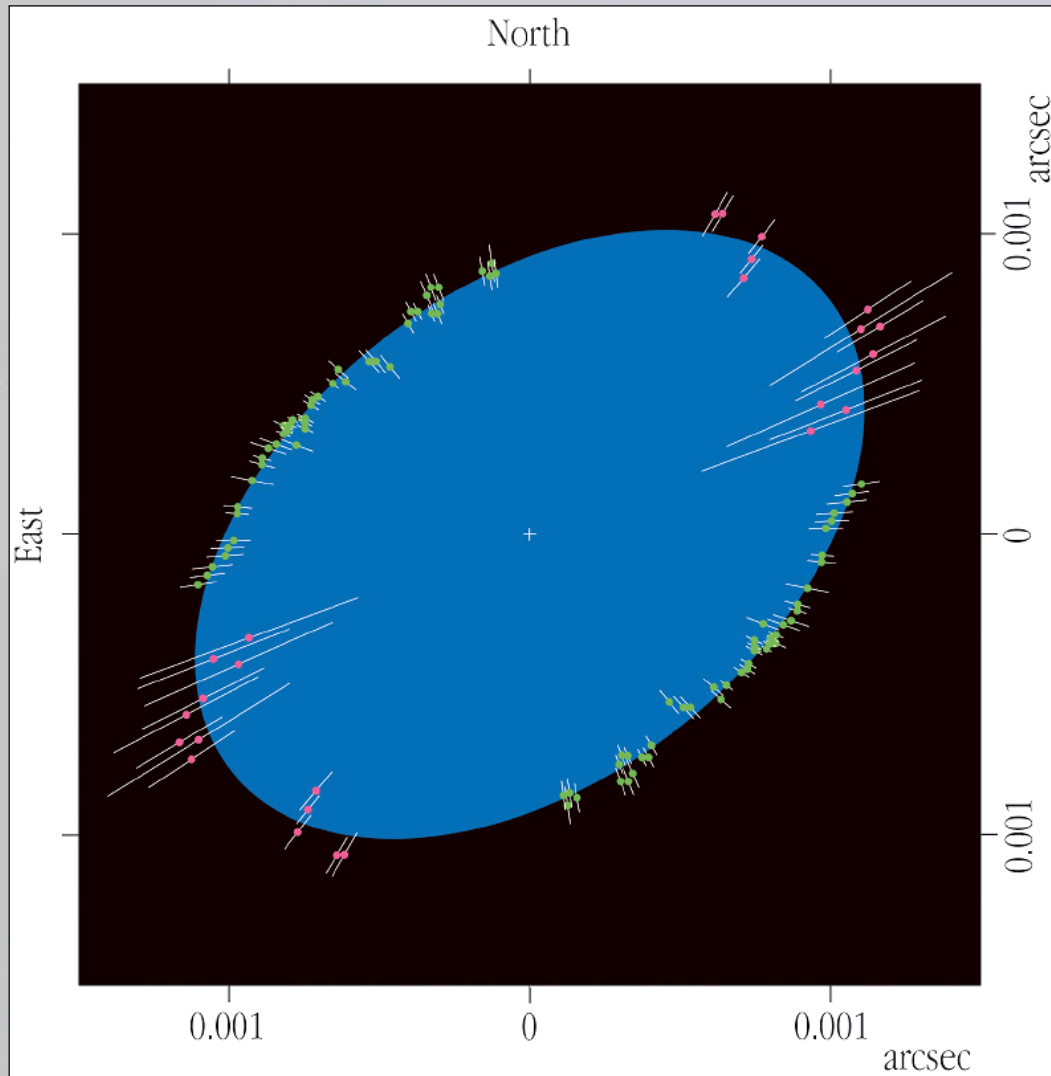
$39 \pm 1$  deg

## Ratio:

Eq/Pole =  $1.56 \pm 0.05$



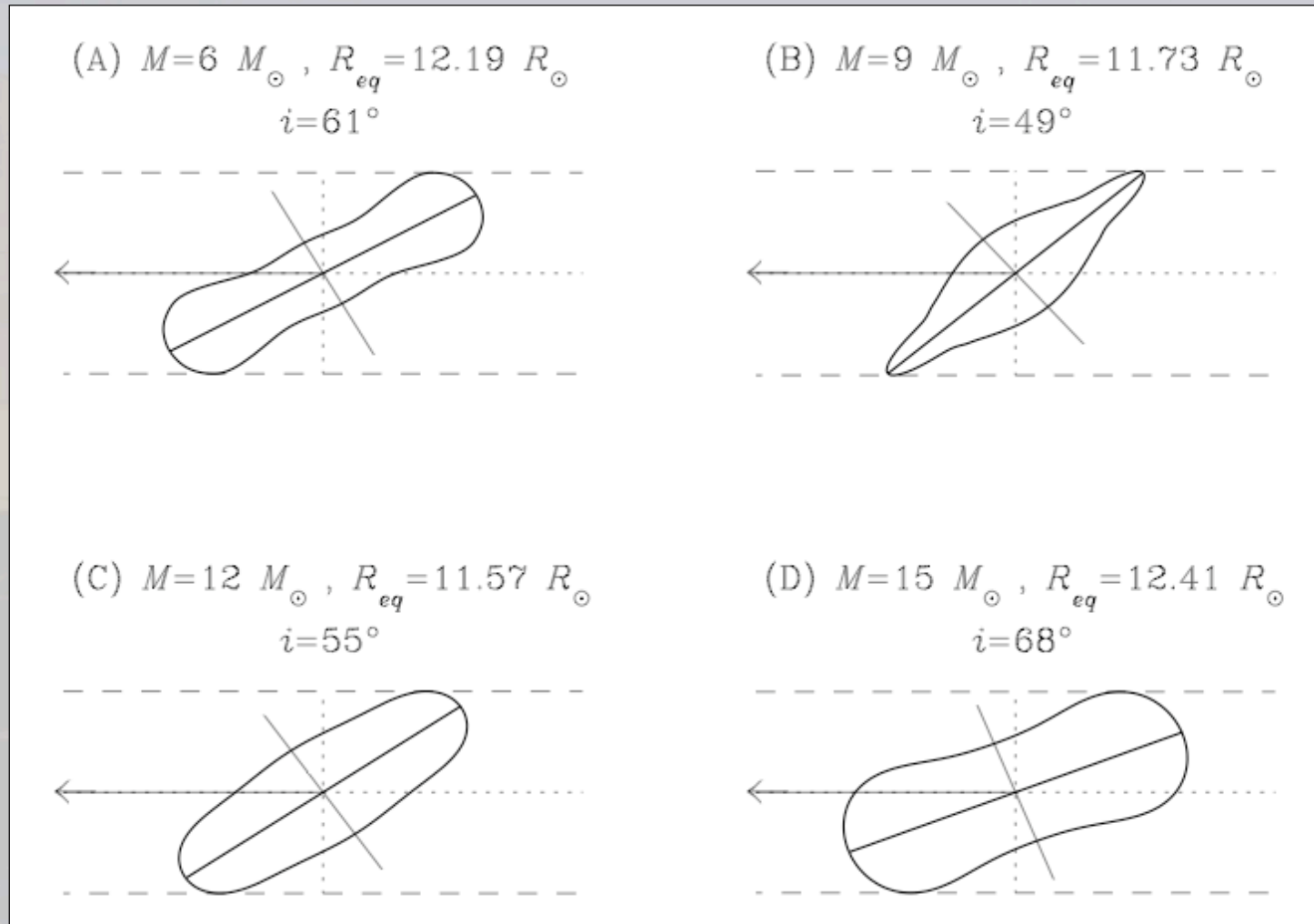
# Modeling



$a/b \sim 1,56$

- Roche model: not flat enough.... (including the Von Zeipel effect)
- Domiciano et al. (2003)

# Differential rotation ?



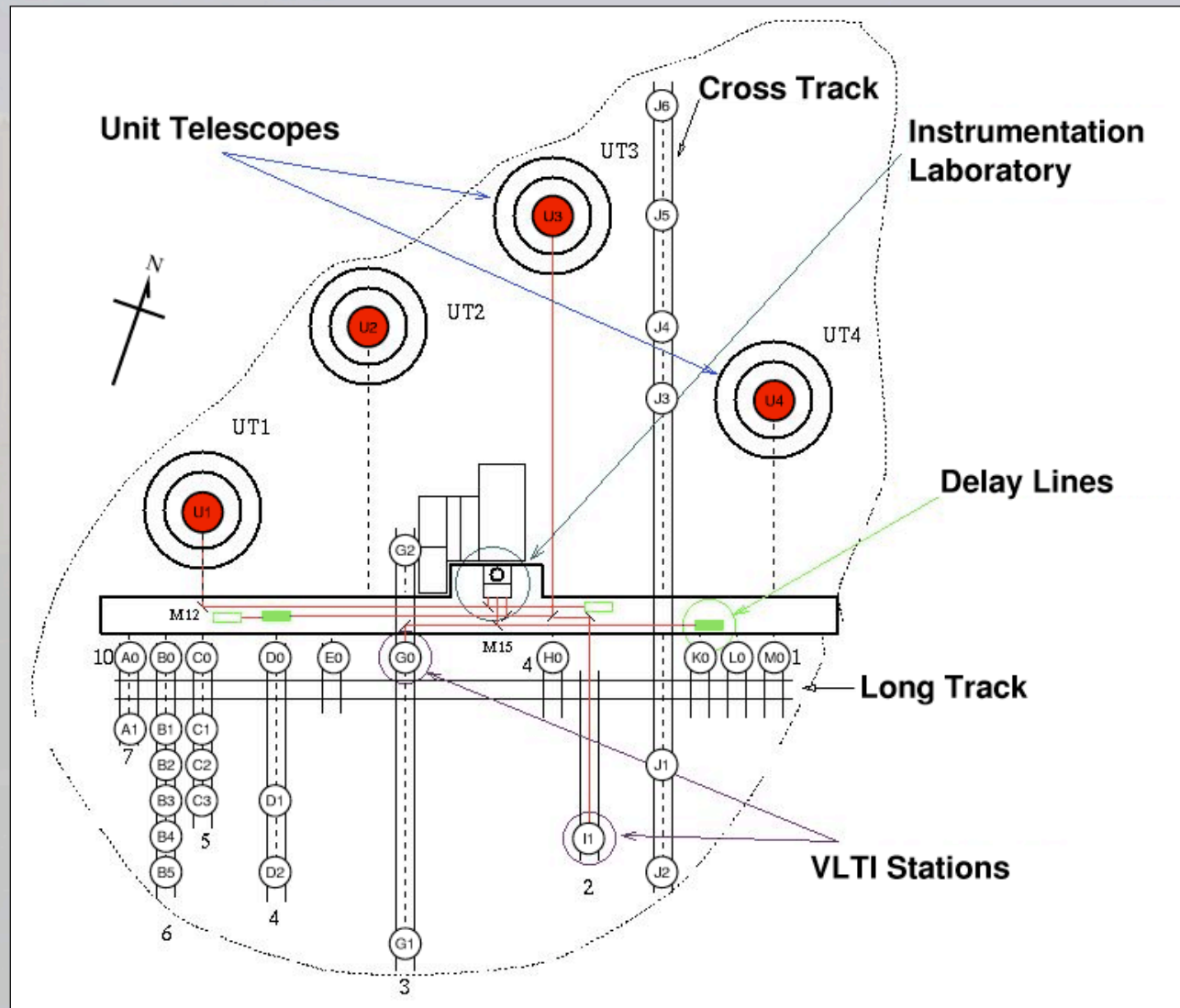
*Jackson et al. (2004)*

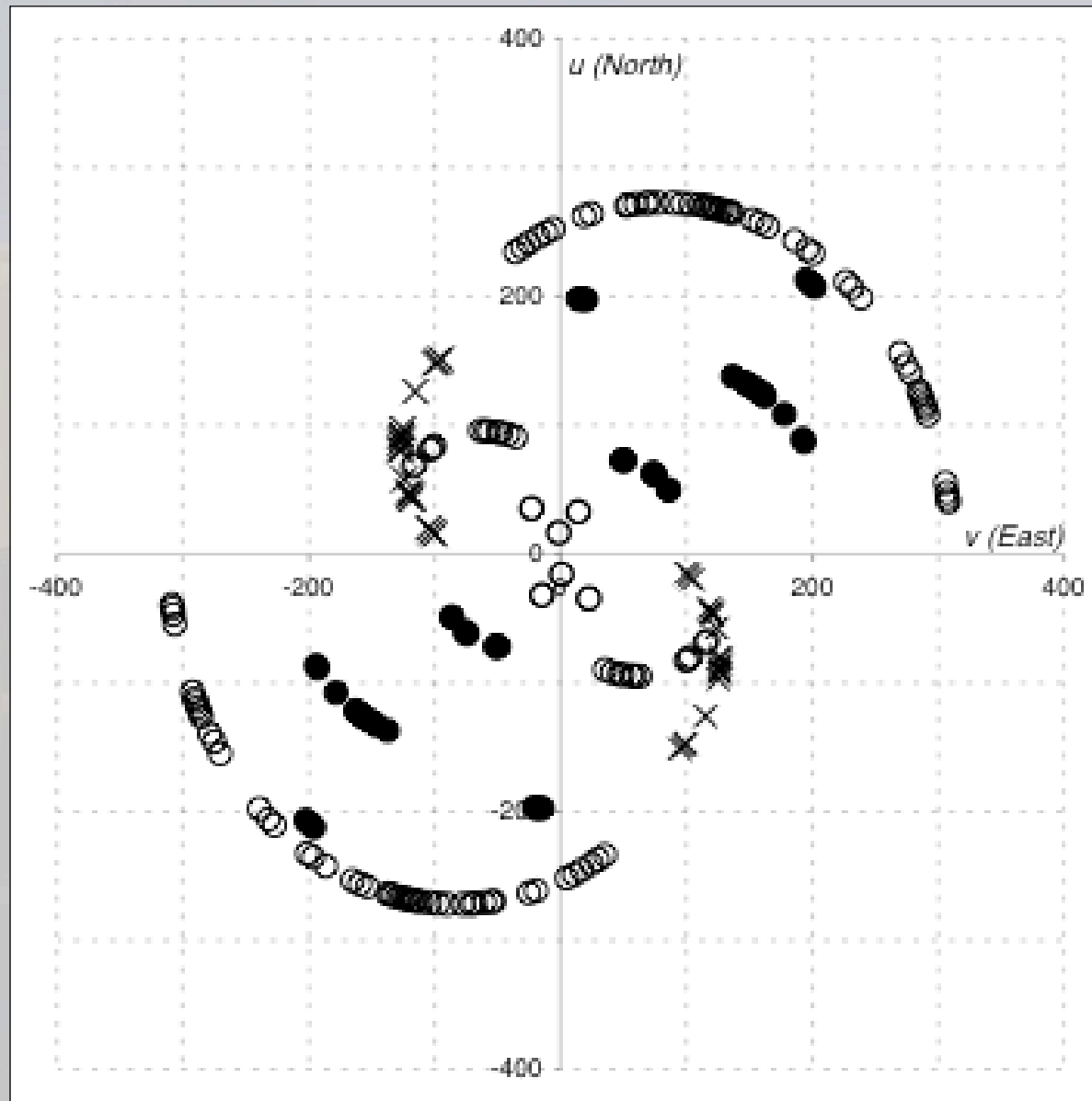
*Many* fast rotating stars...



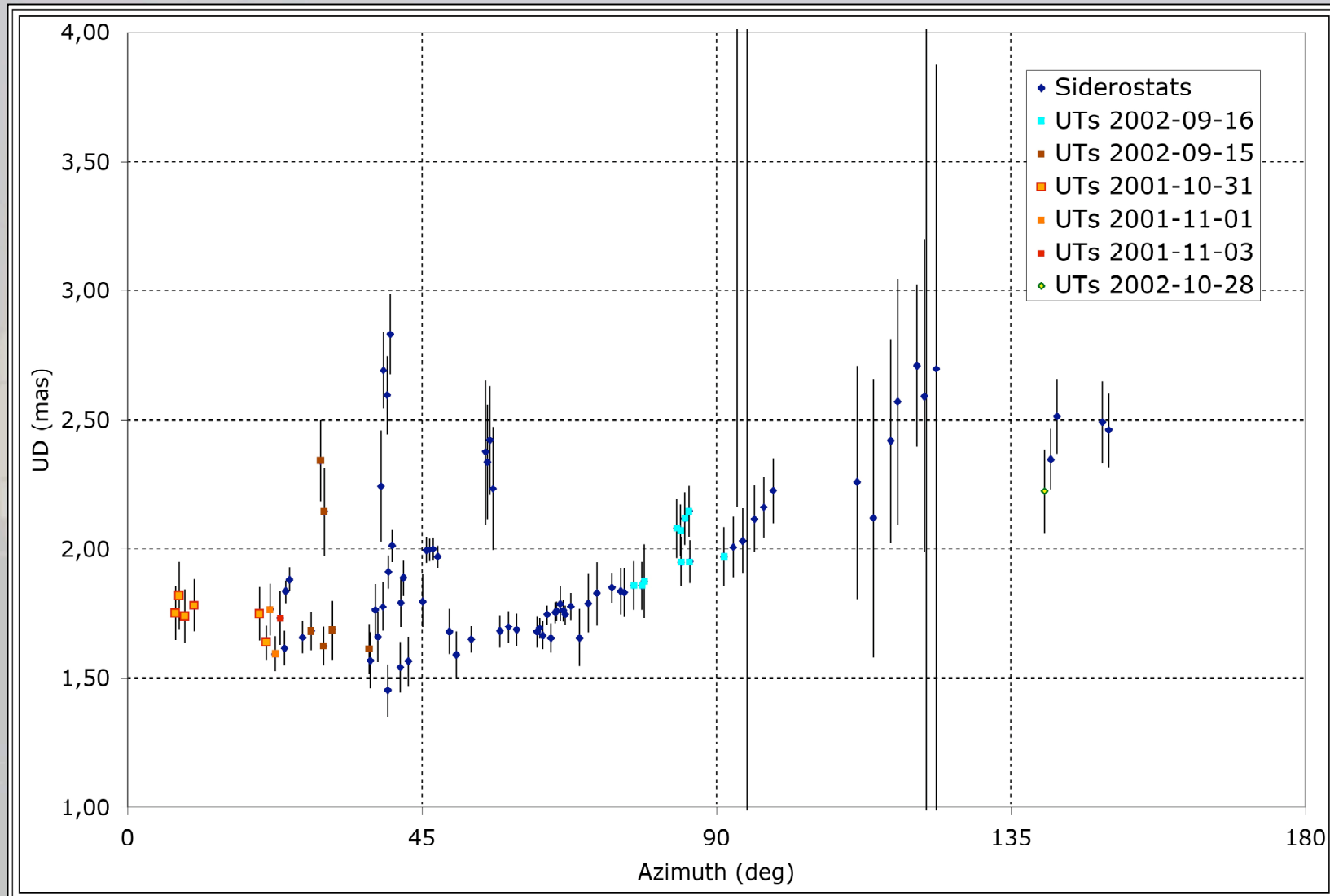


# A « Bonus » data set...





# Troublesome data...

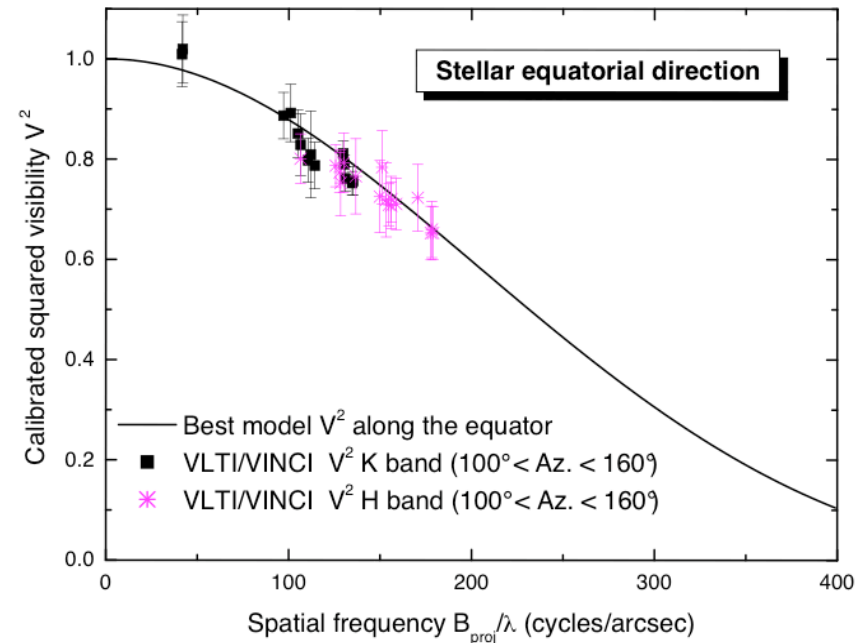
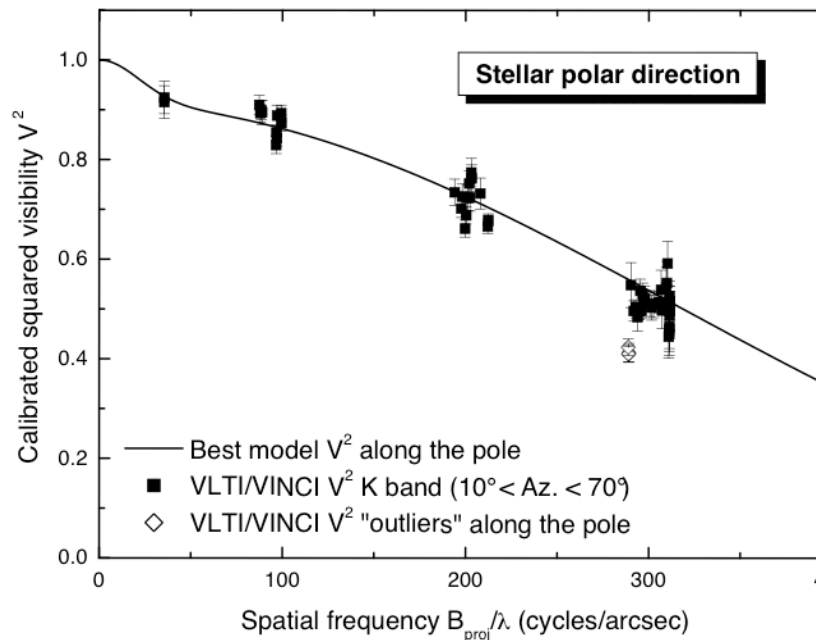


# Something along the pole ?

The polar visibilities are not in line with the model...

There is apparently something extended in this direction (lower  $V^2$ )

Let's limit ourselves to the **polar and equatorial directions +/- 30 degrees**



This is strange... A disk is expected, but *along the equator*...

# An « ad hoc » simple model

A uniform ellipse for the star +

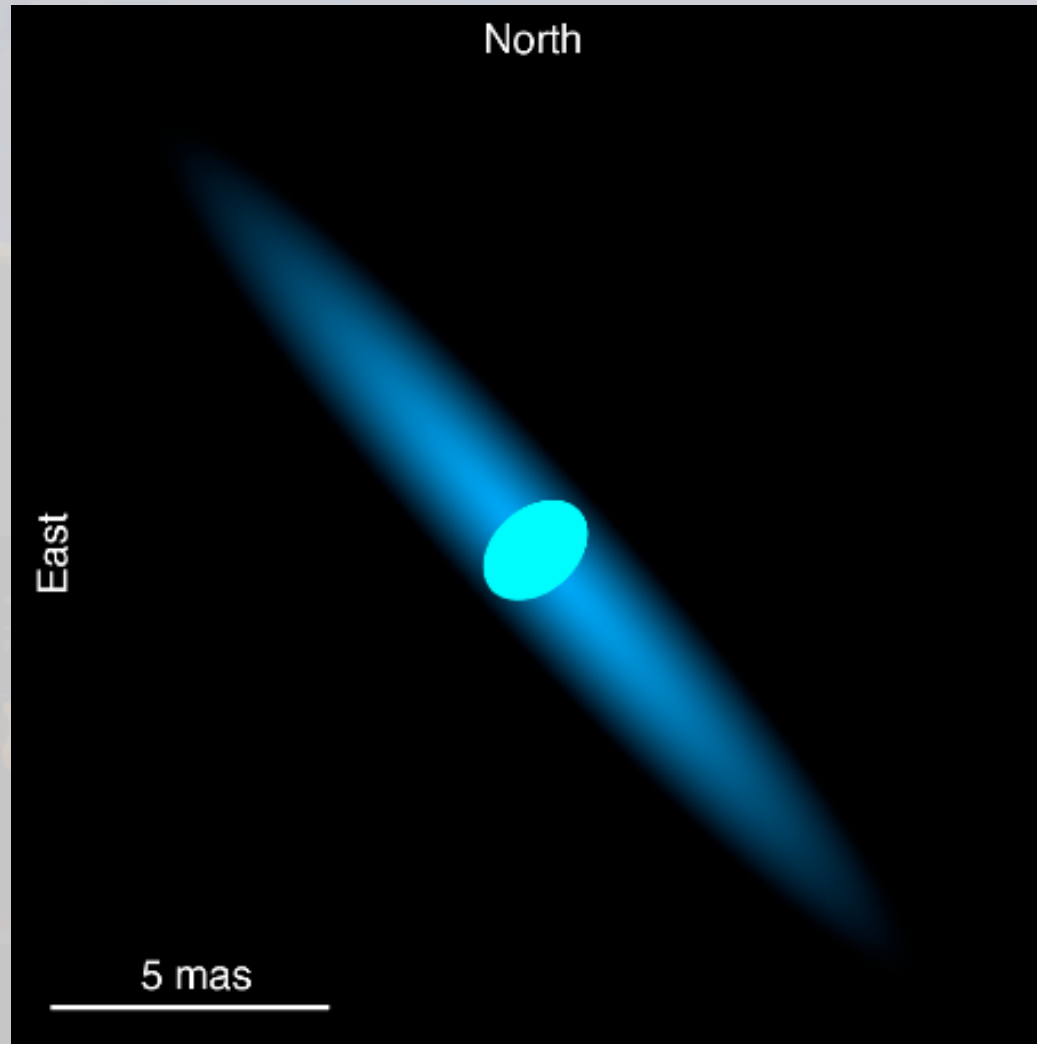
an elliptical Gaussian for the extended component (aligned with star)

$$V_{\text{star}}(u, v, \theta_{\text{eq}}, \theta_{\text{pol}}, \alpha_1) = \frac{2 J_1(x')}{x'}$$

$$\text{where } x' = \pi \sqrt{\theta_{\text{eq}}^2 u'^2 + \theta_{\text{pol}}^2 v'^2}.$$

$$V_{\text{env}}(u, v, \rho_{\text{eq}}, \rho_{\text{pol}}, \alpha_1) = \exp \left[ -\frac{\left( \pi \sqrt{\rho_{\text{eq}}^2 u'^2 + \rho_{\text{pol}}^2 v'^2} \right)^2}{4 \ln 2} \right]$$

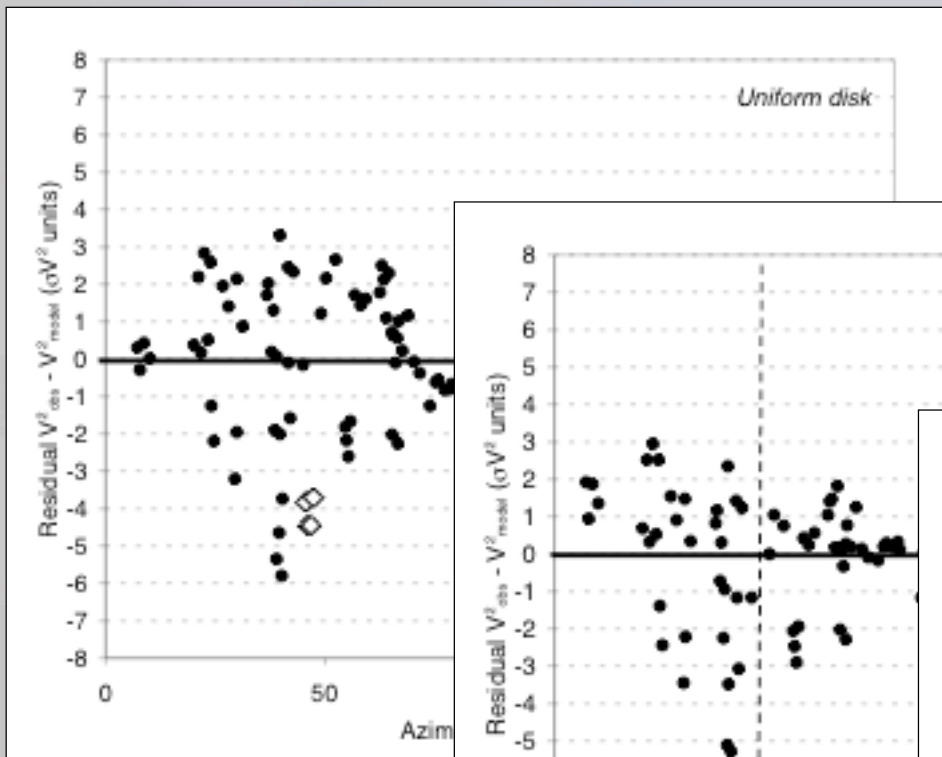
$$V_{\text{model}}(u, v, \theta_{\text{eq}}, \theta_{\text{pol}}, \rho_{\text{eq}}, \rho_{\text{pol}}, \alpha_1, f) = \frac{V_{\text{star}} + f V_{\text{env}}}{1 + f}.$$



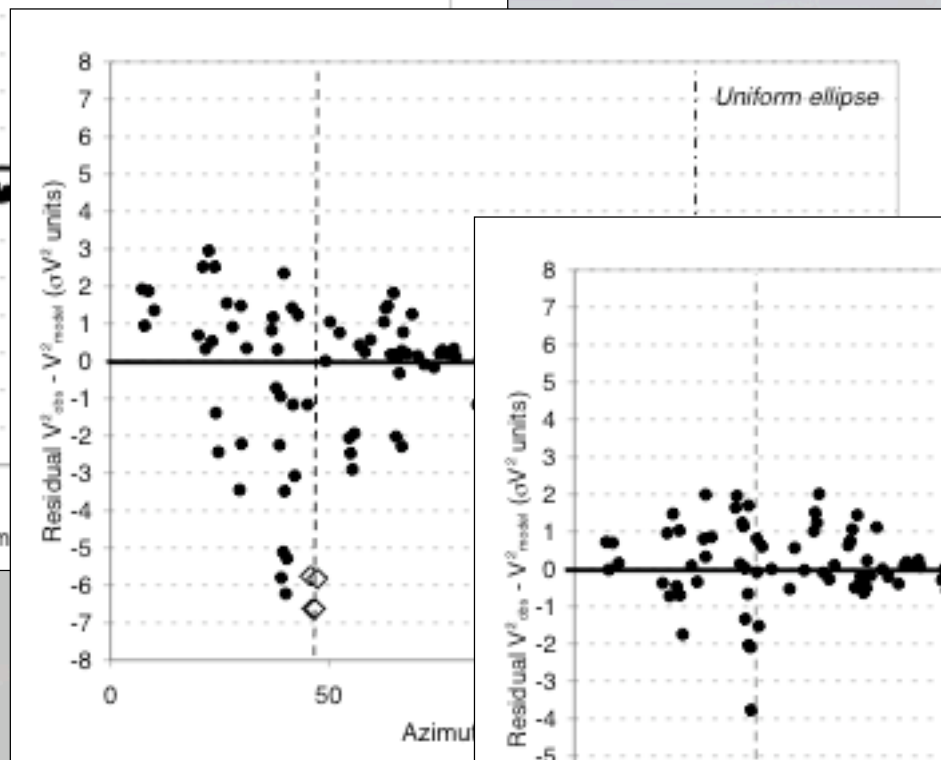
*Contrast CSE-star  $\sim 5\%$  in the K band*

Most likely explanation: free-free radiation from the polar wind of the star

# Different models... and residuals

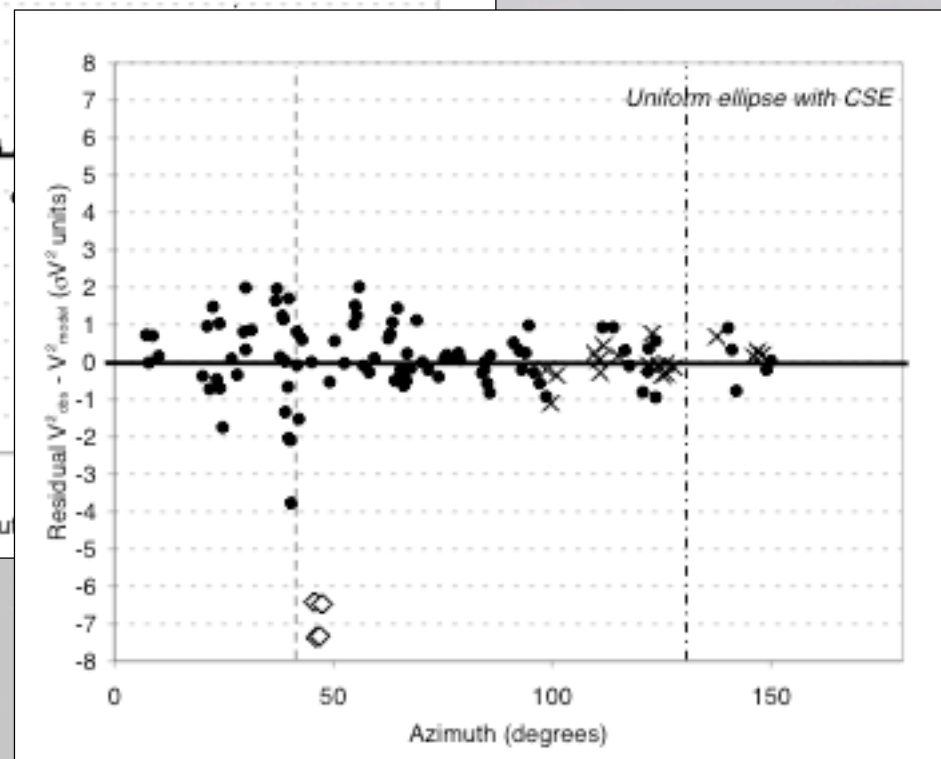


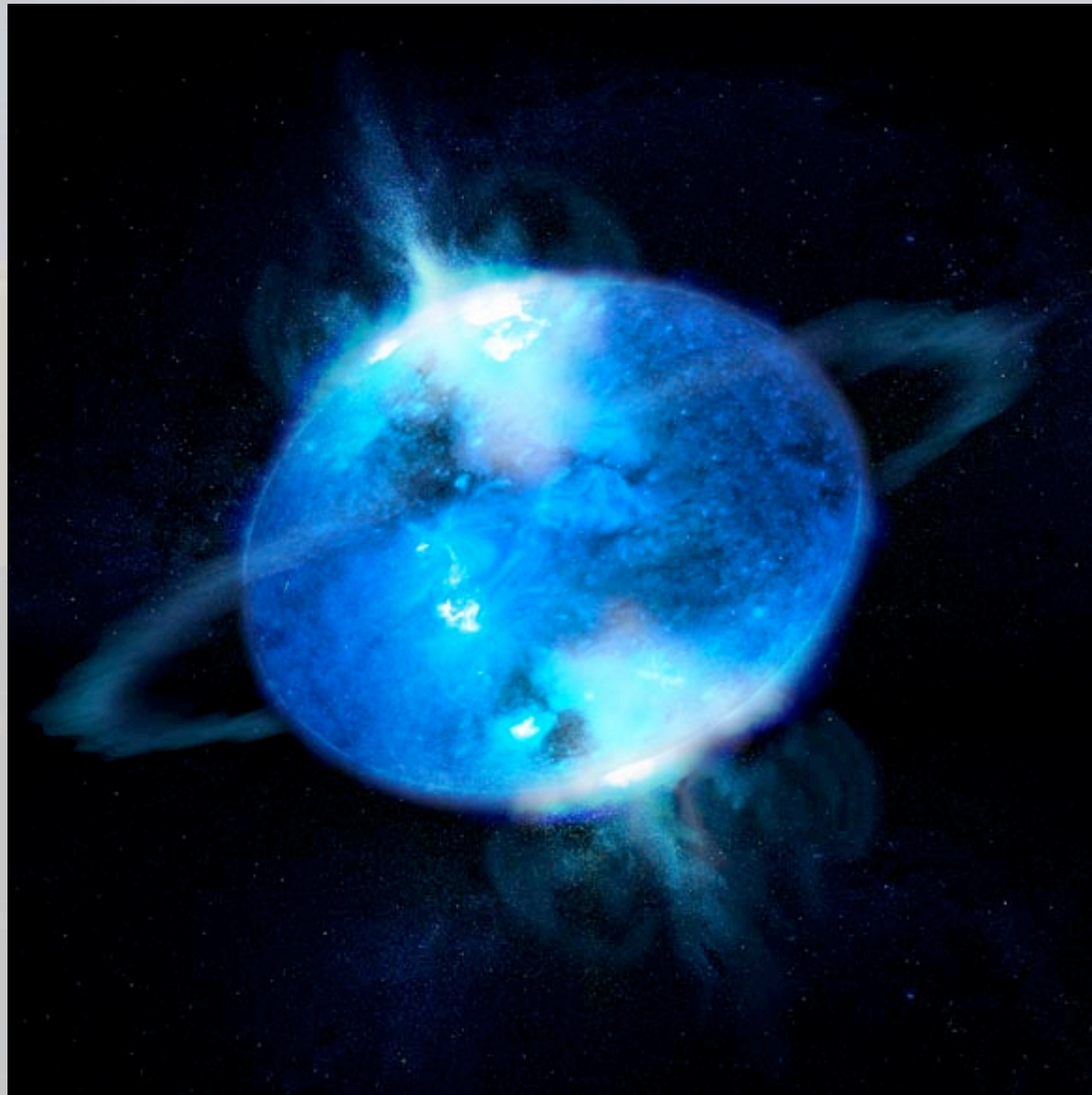
$$\chi^2 = 4.9$$



$$\chi^2 = 3.2$$

$$\chi^2 = 0.8$$

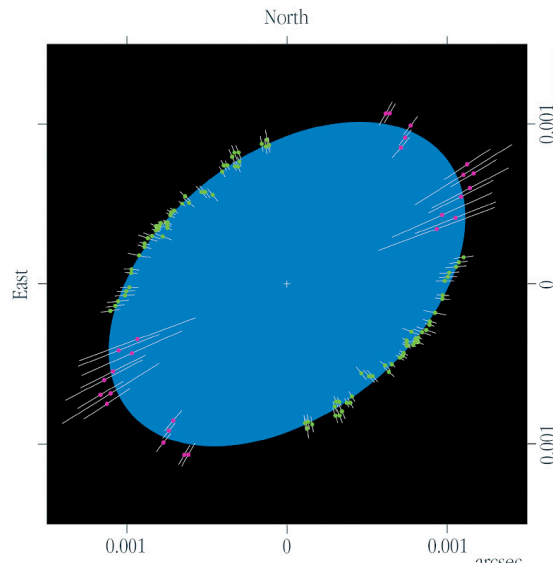




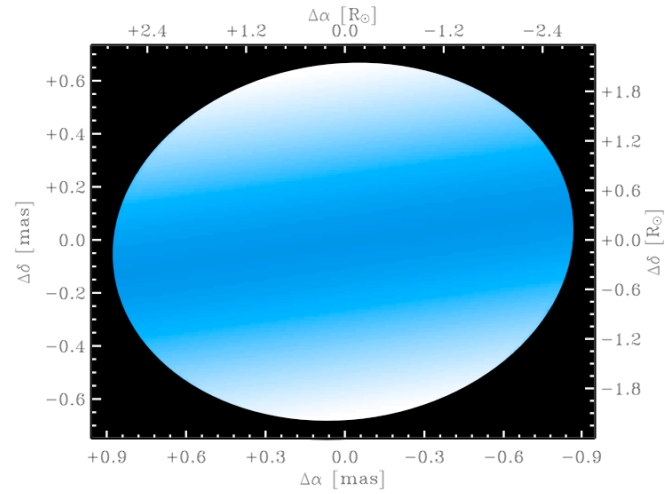
*Artist's impression of Achernar*



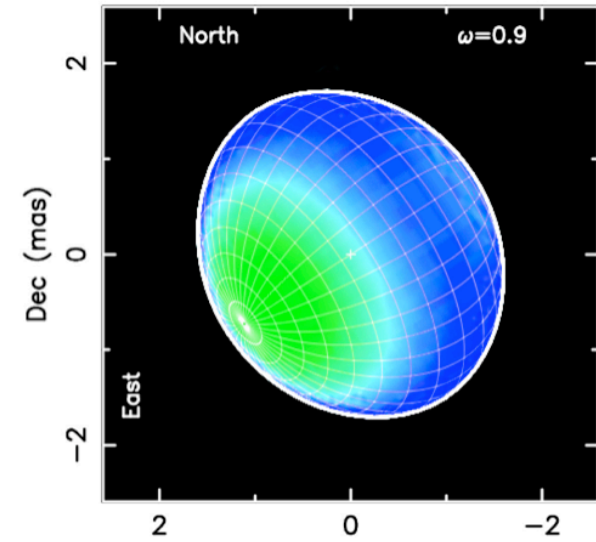
# Fast rotating stars observed by interferometry



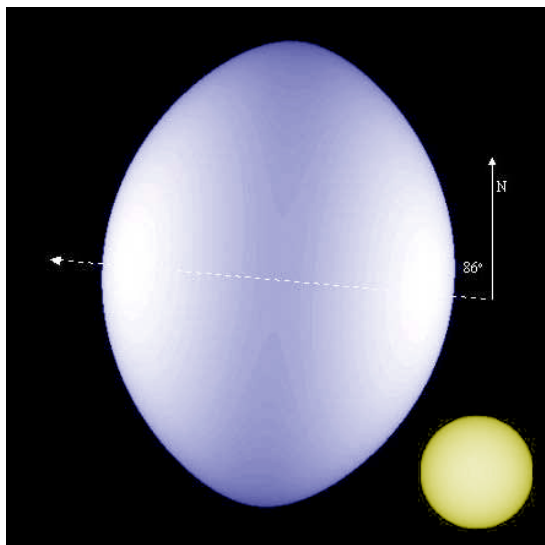
*Achernar (VLTI)*



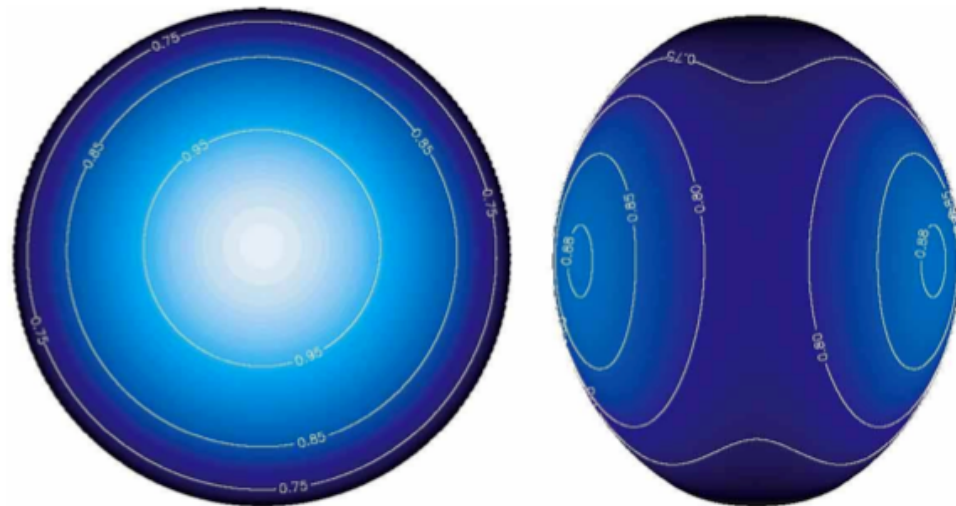
*Alderamin (CHARA)*



*Altair (NPOI)*



*Regulus (CHARA)*



*Vega (CHARA)*

## Some references...

- Aufdenberg et al. 2006, *ApJ*, *in press*
- Domiciano de Souza et al. 2003, *A&A*, **407**, L47
- Jackson et al. 2004, *ApJ*, **606**, 1196; 2005, *ApJSS*, **156**, 245
- Kervella & Domiciano 2006, *A&A*, *in press*
- McAlister et al. 2005, *ApJ*, **628**, 439
- Peterson et al. 2006, *ApJ*, **636**, 1087
- Van Belle et al. 2001, *ApJ*, **559**, 1155